Discussion of "Digital euro demand: design, individuals' payment preferences and socioeconomic factors" by Lambert, Larkou, Pancaro, Pellicani, Sintonen

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### • Goal: Understanding the demand for central bank digital currency (CBDC)

- Empirical Challenge: CBDC does not yet exist in the Euro Area
- Approach:
  - Focus on something that does exist: cash & demand deposits ⇒ estimate demand for cash & demand deposits as function of their characteristics
  - 2. Assume CBDC is a convex combination of cash & demand deposits  $\Rightarrow$  predict CBDC demand with estimated demand system in step (1)

### Main Results:

- 1. Without holding limit: 3-28% of household liquid assets or €0.12-€1.11 trillion
- 2. With €3000 holding limit: 2-9% of household liquid assets or €0.1-€0.38 trillion

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# **Demand Estimation Approach**

▶ Individual *i*'s indirect utility of holding product  $j \in \{cash, deposits\}$  is given by

$$\mathbf{u}_{i,j} = \alpha' \mathbf{x}_{i,j} + \gamma'_j \mathbf{z}_i + \eta_j + \epsilon_{i,j} = \mathbf{V}_{i,j} + \epsilon_{i,j}$$
(1)

*x<sub>i,j</sub>* are product attributes (e.g., interest rate)

*z*<sub>i</sub> are individual characteristics (e.g., age)

 $\gamma_i$  are product-specific sensitivities

 $\eta_j$  are product-specific fixed effects

 $\epsilon_{i,j}$  are i.i.d. utility shocks ightarrow from Type I extreme value distribution

Difference between logs of deposit and cash shares given by

$$ln(\frac{q_{i,d}}{q_{i,c}}) = V_{i,d} - V_{i,c} = \alpha'(x_{i,d} - x_{i,c}) + (\gamma_d - \gamma_c)'z_i + \eta_d - \eta_c$$
(2)

• Estimate this equation and normalize  $\gamma_c \& \eta_c$  to zero

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# Estimation Results (1)

Variable	Log(deposit/cash)	
Deposit rate	2.807	
Online payment	$0.027^{***}$	
Acceptance rate	0.013	
Anonymity/privacy	-0.201***	
Budgeting usefulness	$0.095^{***}$	
Instant settlement	-0.11***	
Speed	$0.147^{***}$	
Security	$0.151^{***}$	
Automatic funding	0.148***	
Ease of use	$0.065^{***}$	
P2P payment	0	
Contactless	0.006***	
Constant	0.310	
Adjusted R-squared	0.206	
Observations	34019	

## Imputation CBDC Demand

Compute individual i's utility for CBDC as

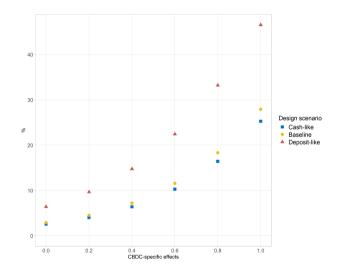
$$V_{i,CBDC} = \hat{lpha}' \mathbf{x}_{i,CBDC} + \gamma'_{CBDC} \mathbf{z}_i + \eta_{CBDC}$$

- Assumption:  $\gamma_{CBDC}$ - $\eta_{CBDC}$  range between  $\hat{\gamma}_{cash}$ - $\hat{\eta}_{cash}$  and  $\hat{\gamma}_{deposits}$ - $\hat{\eta}_{deposits}$
- x<sub>i,CBDC</sub> are assumed CBDC design features: cash-like, deposit-like, baseline

Attribute	Cash-like design	Deposit-like design	Baseline design
Ease of use	Cash	Card	Card
Transaction speed	Cash	Card	Card
Security	Cash	Card	Card
Budgeting usefulness	Cash	Card	Card
Acceptance rate	Cash	Card	Card
Online store	0	1	1
P2P	1	0	1
Anonymity/privacy	1	0	0.5
Instant settlement	1	1	1
Remuneration rate	0	Deposit rate	0
Contactless	1	1	1
Automatic funding	0	1	1

(3)

## Estimation Results (2)



# **Comments & Suggestions**

#### 1. Key result: CBDC holdings range from 3% to 47%. Quite wide, how can we narrow this down?

**Parameter assumption**:  $\gamma_{CBDC} \& \eta_{CBDC}$  could lie outside range  $\hat{\gamma}_{cash} - \hat{\eta}_{cash}$  and  $\hat{\gamma}_{deposits} - \hat{\eta}_{deposits}$ To address both issues  $\Rightarrow$  Ask people if they view CBDC as replacement for deposits or cash!

2. **Contribution to the literature**: Paper is basically a replication of Li (2023, JME) on Euro area data ⇒ needs to be clearer to the reader

**Analysis is partial-equilibrium**: other agents may respond, like banks raising deposit rates. Li (2023) considers extension, reducing upper bound from 52% to  $20\% \Rightarrow$  replicate!

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## Summary

### Nice paper with valuable numbers for policy

### Some suggestions:

- 1. Provide closer bounds for estimates
- 2. Consider extension with bank responses
- 3. Simply ask people how much CBDC they would hold!



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